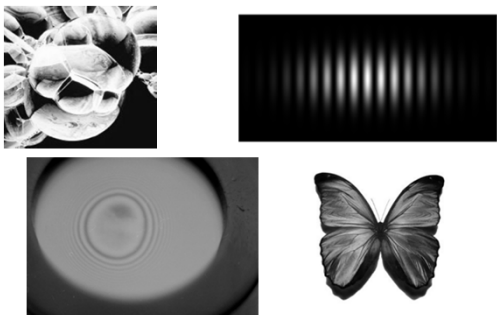
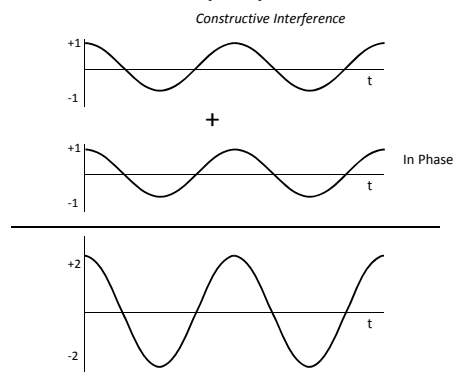


Physics 1161: Lecture 20  
Interference

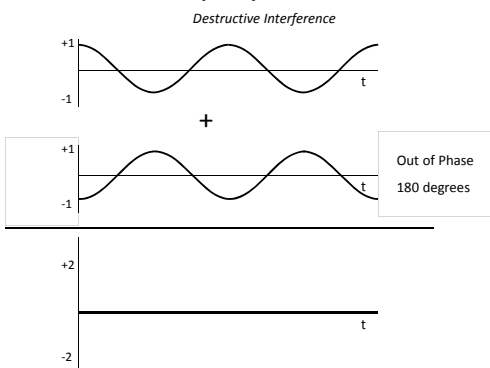
- textbook sections 28-1 -- 28-3



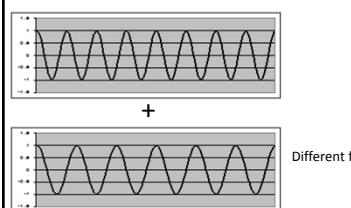
Superposition



Superposition



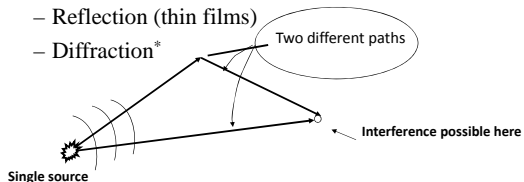
Which type of interference results from the superposition of the two waveforms shown?



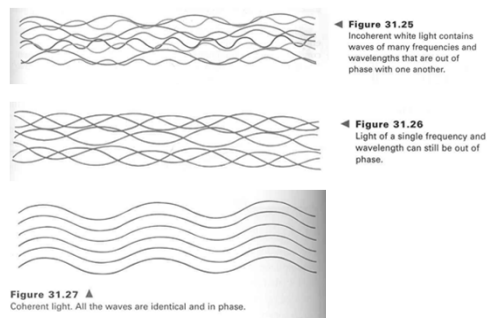
1. Constructive
2. Destructive
3. Neither

Interference for Light ...

- Can't produce coherent light from separate sources. ( $f \approx 10^{14}$  Hz)
- Need two waves from single source taking two different paths
  - Two slits
  - Reflection (thin films)
  - Diffraction\*



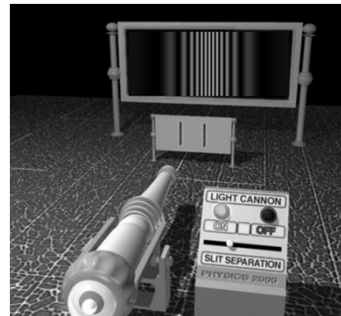
Coherent & Incoherent Light



### Double Slit Interference Applets

- <http://www.walter-fendt.de/ph14e/doubleslit.htm>
- <http://vsg.quasihome.com/interfer.htm>

### Young's Double Slit Applet

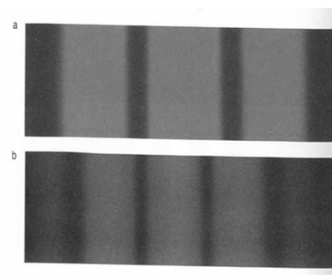


<http://www.colorado.edu/UCB/AcademicAffairs/ArtsSciences/physics/PhysicsInitiative/Physics2000/applets/twoslitsa.html>

### Young's Double Slit Layout

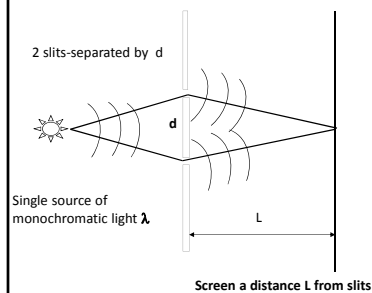


### Interference - Wavelength



**Figure 18-5**  
The two slit interference patterns produced by red light (a) is wider than that produced by blue light (b).

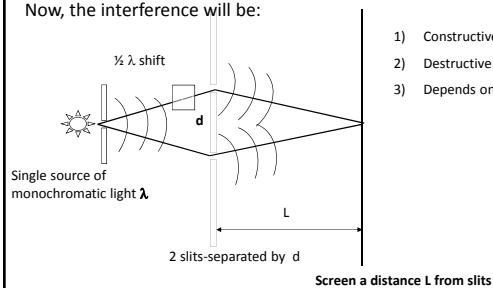
Light waves from a single source travel through 2 slits before meeting at the point shown on the screen. The interference will be:



1. Constructive
2. Destructive
3. It depends on L

### Young's Double Slit Phase Checkpoint

The experiment is modified so that one of the waves has its phase shifted by  $\frac{1}{2} \lambda$ . Now, the interference will be:



- 1) Constructive
- 2) Destructive
- 3) Depends on L

### Young's Double Slit Concept

Single source of monochromatic light  $\lambda$

2 slits-separated by  $d$

Screen a distance  $L$  from slits

At points where the difference in path length is  $0, \lambda, 2\lambda, \dots$ , the screen is bright. (constructive)

At points where the difference in path length is  $\frac{\lambda}{2}, \frac{3\lambda}{2}, \frac{5\lambda}{2}, \dots$  the screen is dark. (destructive)

### Young's Double Slit Key Idea

Two rays travel almost exactly the same distance. (screen must be very far away:  $L \gg d$ )

Bottom ray travels a little further.

Key for interference is this small extra distance.

### Young's Double Slit Quantitative

$\sin(\theta) \approx \tan(\theta) = y/L$

Path length difference =  $d \sin \theta$

Constructive interference

Destructive interference (Where  $m = 0, 1, 2, \dots$ )

### Young's Double Slit Under Water Checkpoint

When this Young's double slit experiment is placed under water. The separation  $y$  between minima and maxima

1) increases      2) same      3) decreases

### Young's Double Slit Checkpoint

In the Young's double slit experiment, is it possible to see interference maxima when the distance between slits is smaller than the wavelength of light?

1) Yes      2) No

### Reflections at Boundaries

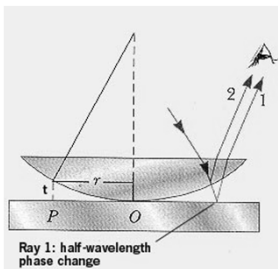
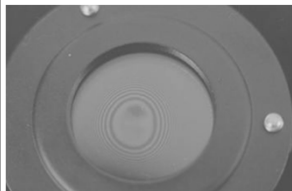
Slow Medium to Fast Medium

Free End Reflection  
No phase change

Fast Medium to Slow Medium

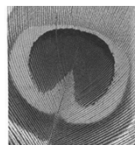
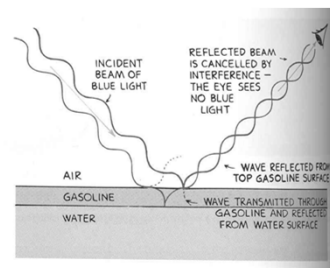
Fixed End Reflection  
180° phase change

### Newton's Rings



### Iridescence

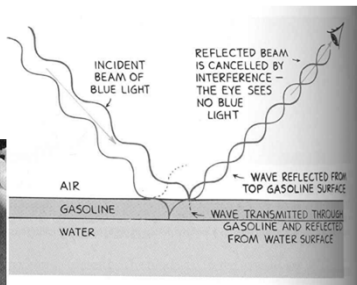
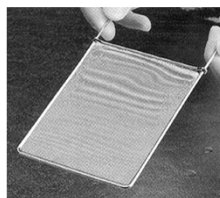
**Figure 31.24** ▶ The thin film of gasoline is just the right thickness so that monochromatic blue light reflected from the top surface of the gasoline is cancelled by light of the same wavelength reflected from the water.



**Figure 31.19** ▲ Diffraction from ridges in a peacock's feathers produce beautiful iridescent colors.

### Iridescence

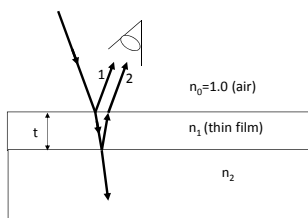
**Figure 31.24** ▶ The thin film of gasoline is just the right thickness so that monochromatic blue light reflected from the top surface of the gasoline is cancelled by light of the same wavelength reflected from the water.



### Soap Film Interference

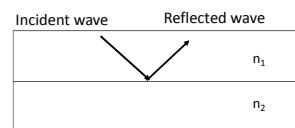


### Thin Film Interference



Get two waves by reflection off of two different interfaces.

### Reflection + Phase Shifts



Upon reflection from a boundary between two transparent materials, the phase of the reflected light *may* change.

- If  $n_1 > n_2$
- If  $n_1 < n_2$

### Thin Film Summary

Determine  $\delta$ , number of extra wavelengths for each ray.

$n = 1.0$  (air)  
 $n_1$  (thin film)  
 $n_2$

This is important!

Reflection: Ray 1:  $\delta_1 = 0$  or  $\frac{1}{2}$   
 Distance: Ray 2:  $\delta_2 = 0$  or  $\frac{1}{2}$  +  $2t/\lambda_{film}$

### Thin Film Practice

**Example**

$n = 1.0$  (air)  
 $n_{glass} = 1.5$   
 $n_{water} = 1.3$

Blue light ( $\lambda_o = 500$  nm) incident on a glass ( $n_{glass} = 1.5$ ) cover slip ( $t = 167$  nm) floating on top of water ( $n_{water} = 1.3$ ).

Is the interference constructive or destructive or neither?

$\delta_1 =$

$\delta_2 =$

Phase shift =  $\delta_2 - \delta_1 =$

Blue light  $\lambda = 500$  nm incident on a thin film ( $t = 167$  nm) of glass on top of plastic. The interference is:

$n = 1$  (air)  
 $n_{glass} = 1.5$   
 $n_{plastic} = 1.8$

1. Constructive
2. Destructive
3. Neither

### Thin Films Checkpoint

A thin film of gasoline ( $n_{gas} = 1.20$ ) and a thin film of oil ( $n_{oil} = 1.45$ ) are floating on water ( $n_{water} = 1.33$ ). When the thickness of the two films is exactly one wavelength...

$n_{gas} = 1.20$   
 $n_{oil} = 1.45$   
 $n_{water} = 1.3$   
 $n_{air} = 1.0$

The gas looks:

- bright
- dark

The oil looks:

- bright
- dark